

Searching

Rosen 6th ed., §3.1-3.3

Searching

- Problem of searching an ordered list.
 - Given a list L of n elements that are sorted into a definite order (*e.g.*, numeric, alphabetical),
 - And given a particular element x ,
 - Determine whether x appears in the list, and if so, return its index (position) in the list.

Search alg. #1: Linear Search

function *linear search*(x, a)

(x : integer, a_1, a_2, \dots, a_n : distinct integers)

$i := 1$

while ($i \leq n \wedge x \neq a_i$) **do**

$i := i + 1$

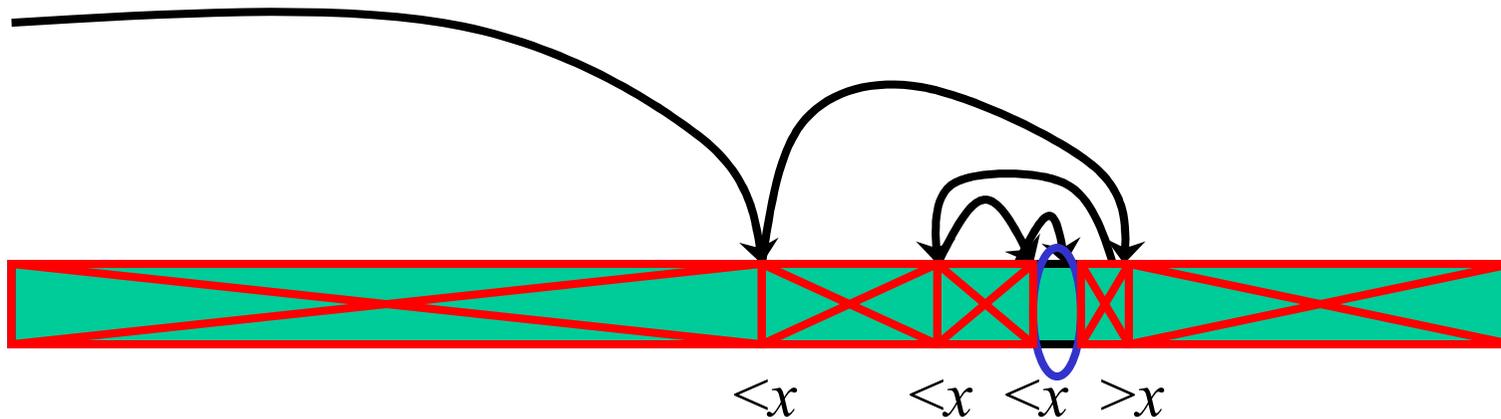
if $i \leq n$ **then** $location := i$

else $location := 0$

return $location$ {index or 0 if not found}

Search alg. #2: Binary Search

- Basic idea: On each step, look at the *middle* element of the remaining list to eliminate half of it, and quickly zero in on the desired element.



Search alg. #2: Binary Search

function *binary search* (x, a)

(x :integer, a_1, a_2, \dots, a_n : distinct integers)

$i := 1$ {left endpoint of search interval}

$j := n$ {right endpoint of search interval}

while $i < j$ **do** {while interval has >1 item}

$m := \lfloor (i+j)/2 \rfloor$ {midpoint}

if $x > a_m$ **then** $i := m+1$ **else** $j := m$

endwhile

if $x = a_i$ **then** $location := i$ **else** $location := 0$

return $location$

Is Binary Search more efficient?

- **Number of iterations:**
 - For a list of n elements, Binary Search can execute at most $\log_2 n$ times!!
 - Linear Search, on the other hand, can execute up to n times !!

Is Binary Search more efficient?

- **Number of computations per iteration:**
 - Binary search does more computations than Linear Search per iteration.
- **Overall:**
 - If the number of components is small (say, less than 20), then Linear Search is faster.
 - If the number of components is large, then Binary Search is faster.